Thermonuclear supernovae

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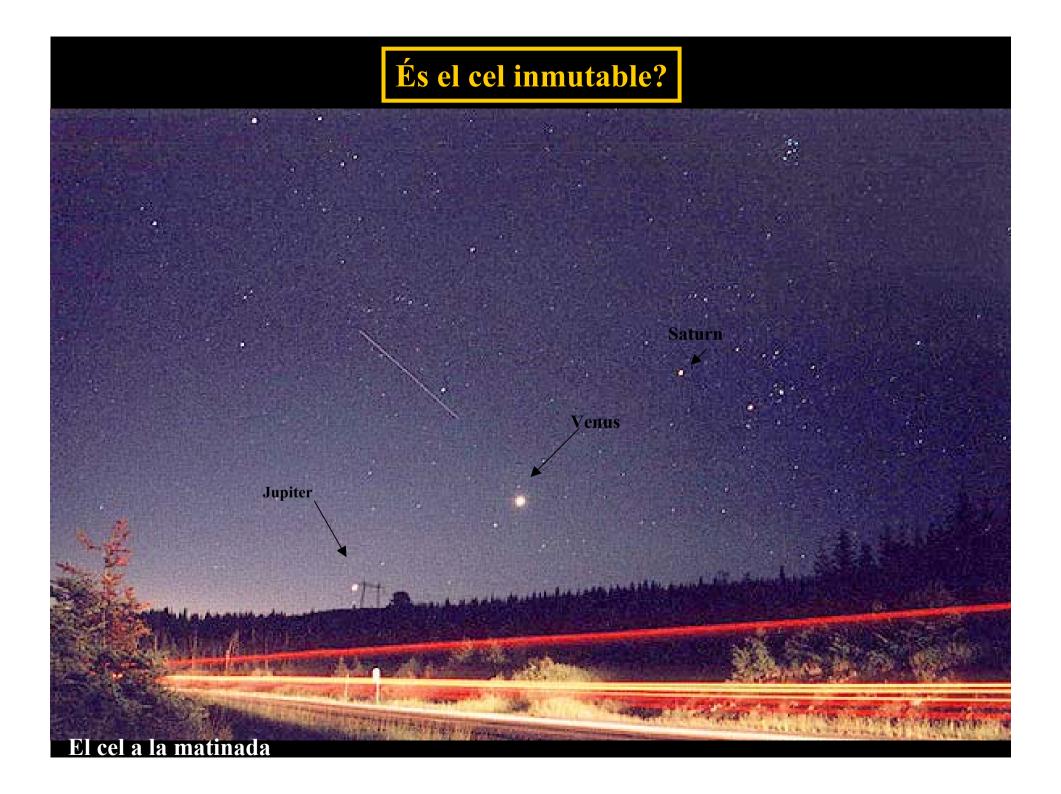




Figure 1: Artist concept of SN1006. Credit and Copyright:Tunç Tezel.

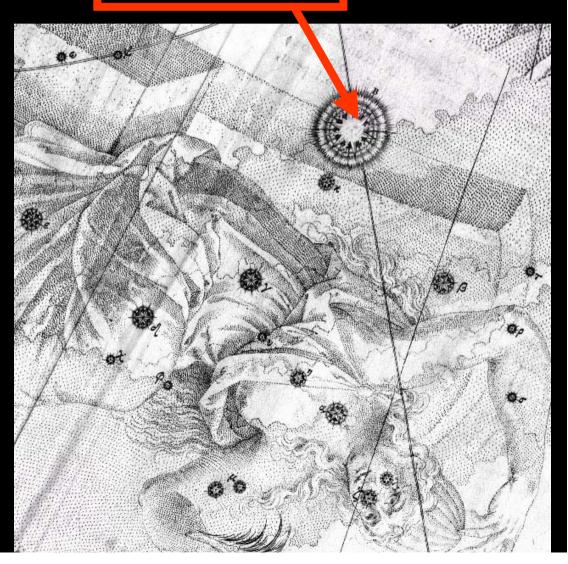


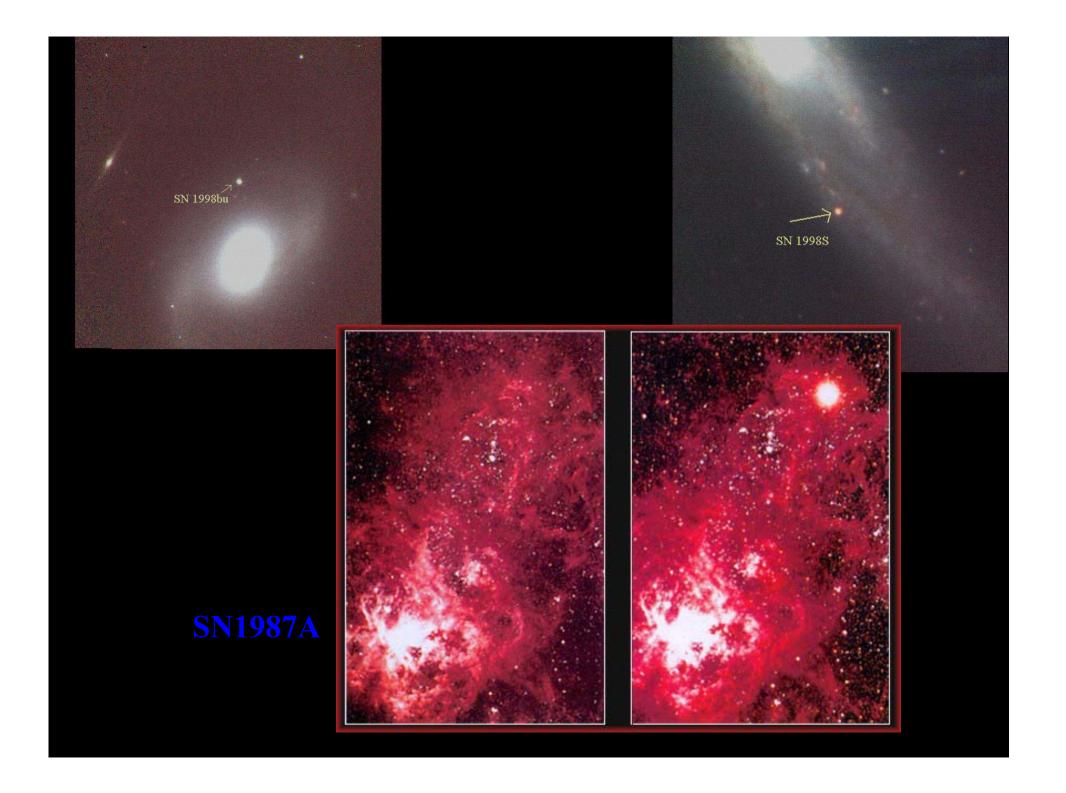
Tycho Brahe

SN1572 Cassiopeia



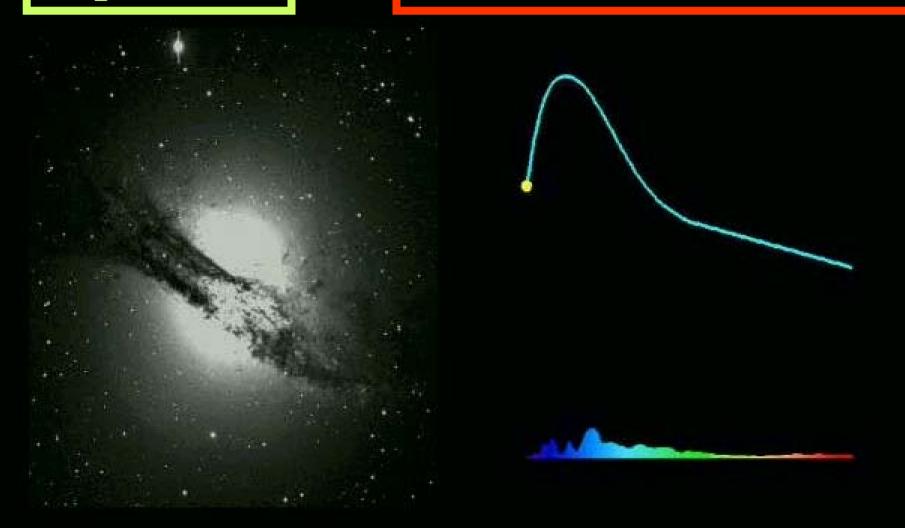
Uraniborg





Supernoves

Evidències de la mort de les estrelles



10⁵¹ erg d'energia cinètica! Tota l'estrella està implicada a l'explosió

Exploding stars

- They play a fundamental role in shaping the galaxy
 - They inject 10⁵¹ ergs/explosion in the form of kinetic energy per event
 - They trigger the formation of new stars
 - They accelerate cosmic rays
 - They power intense galactic winds that can even remove the galactic gas and kill the process of star formation
 - They inject several M_o of freshly synthesized chemical elements, both stable and radioactive.
 - They play a key role on the origin and evolution of life
 - They synthesize the elements necessary to build rocky planets
 - They synthesize the biogenic elements
 - They can sterilize large regions of the Galaxy

Usually, spherical symmetry is assumed: only radial gradients are allowed. But ...



Hydrostatic Equilibrium

Characteristic times

Hydrodynamic time: $\tau_{HD} \approx 440 \ \rho^{-1/2}$

Thermal time: 10⁷ yr Nuclear time: 10⁹ yr

$$\frac{dP}{dr} = -\rho \frac{Gm}{r^2}$$

$$\rho \approx \frac{M}{R^3}$$

$$\frac{dp}{dr} \approx \frac{P}{R}$$

$$P \approx M^2 R^{-4}$$

Electron degeneracy

At high densities e are dominant

$$P \cong P_{e,0}(\rho) + P_{e,1}(\rho,T) + P_{i,1}(\rho,T)$$

If
$$T \rightarrow 0$$

$$P_{e,1}(\rho,T) \rightarrow 0$$

$$P_{i,1}(\rho,T) \to 0$$

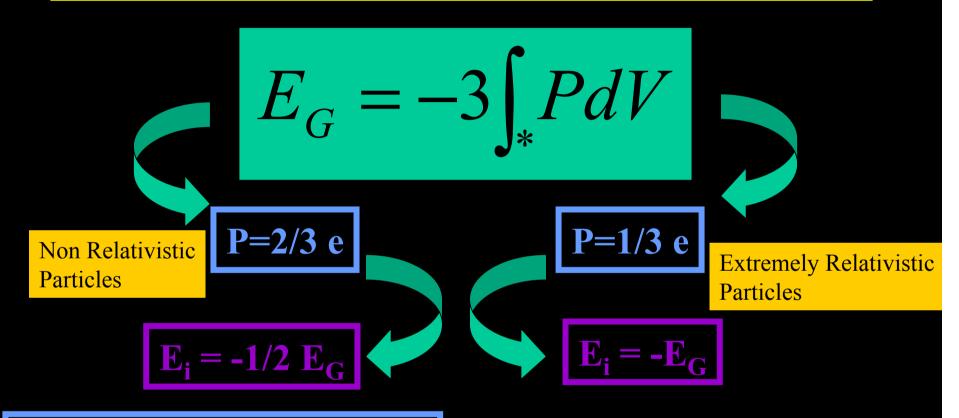
$$P_{e,0} = K_{NR} \rho^{5/3}$$

Even at T=0 electrons (and other fermions) are able to exert pressure!

$$P_{e,0} = K_{ER} \rho^{4/3}$$

Zero temperature structures can exist

The virial theorem



During a gravitational transition from an equilibrium configuration to another one, half of the energy is radiated away and half is invested in internal energy.

Relativistic stars are not bounded

$$M_{Ch} = 1.44 < 2Y_e > 2 M_o$$

Non relativistic electrons

If electrons are non relativistic

$$P \approx (MR^{-3})^{5/3} = M^{5/3}R^{-5}$$

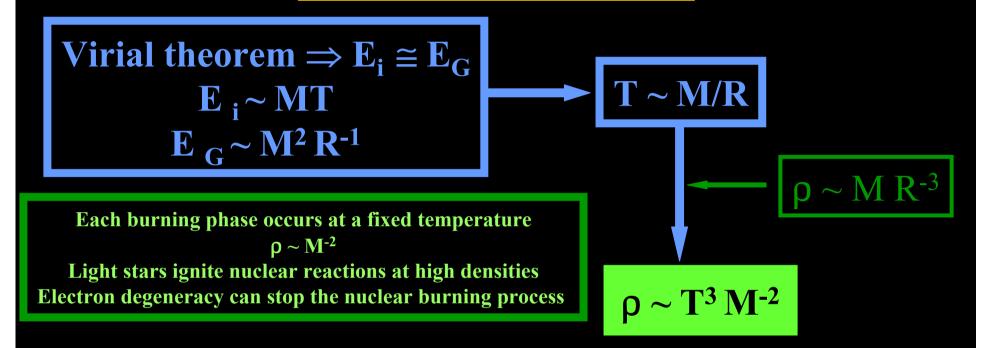
Hydrostatic equilibrium:

$$P \approx M^2 R^{-4}$$

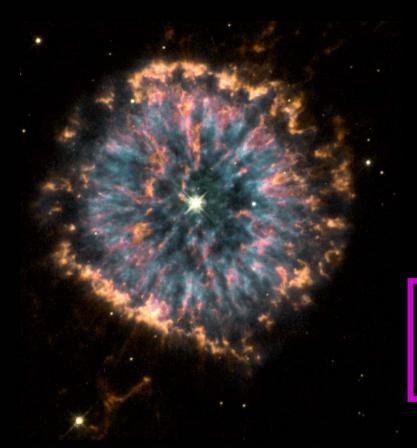
It is always possible to find an equilibrium structure
The star only needs to contract

R decreases when M increases

Nuclear reactions



M<0.08 Mo, H is never ignited M<0.5 Mo, He is never ignited M<8-9 Mo, C is never ignited M<10-12 Mo, Ne is never ignited M>10-12 Mo, Fe cores are formed



M<0.5 Mo, form He cores M<8-9 Mo, form C/O cores M<10-12 Mo, form O/Ne

These limits change in binary systems. If close enough, stars with 2.5 Mo can give He wd of ~ 0.4 Mo

If M \uparrow R $\downarrow \Rightarrow$ E_F \uparrow When E_F >> m_ec² electrons become relativistic

Relativistic electrons

If electrons are relativistic

$$P \approx (MR^{-3})^{4/3} = M^{4/3}R^{-4}$$

Hydrostatic equilibrium:

$$P \approx M^2 R^{-4}$$

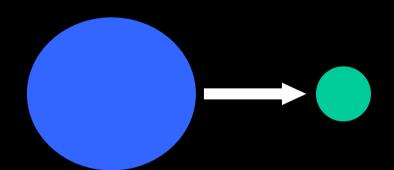
It is not possible to find an equilibrium structure

There is not a length scale If $\delta E < 0$ $\delta R < 0$ The star contracts If $\delta E > 0$ $\delta R > 0$ The star expands

The ideal scenario for catastrophic events!

Explosive sources of energy

Gravitational collapse



Electron degenerate core

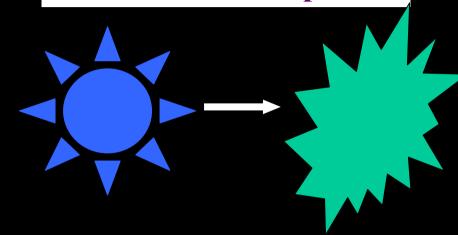
 $M \sim 1.4 \ Mo$ $R \sim 10^8 - 10^9 \ cm$

Neutron star

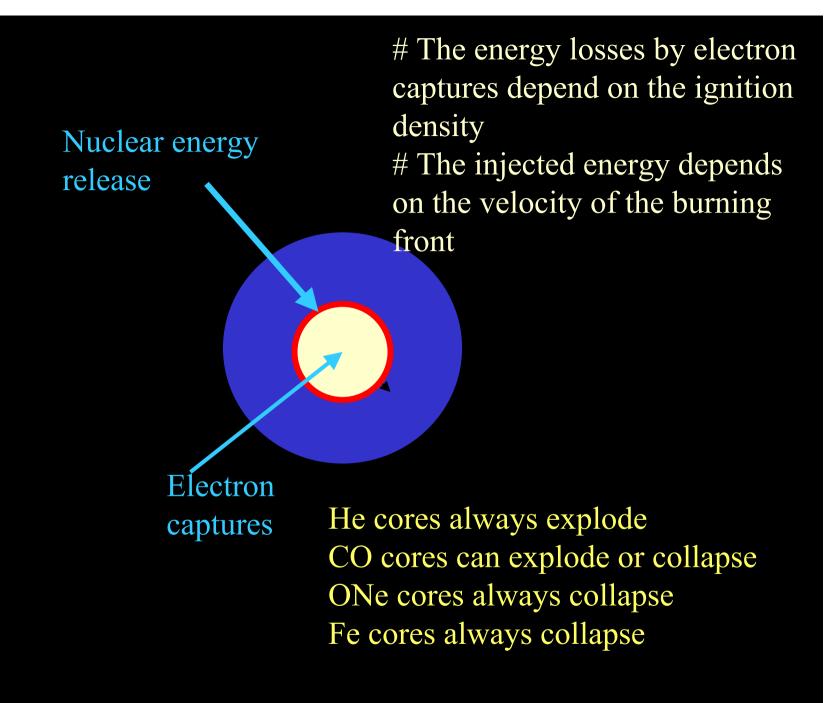
 $M \sim 1.4 \ Mo$ $R \sim 10^6 \ cm$

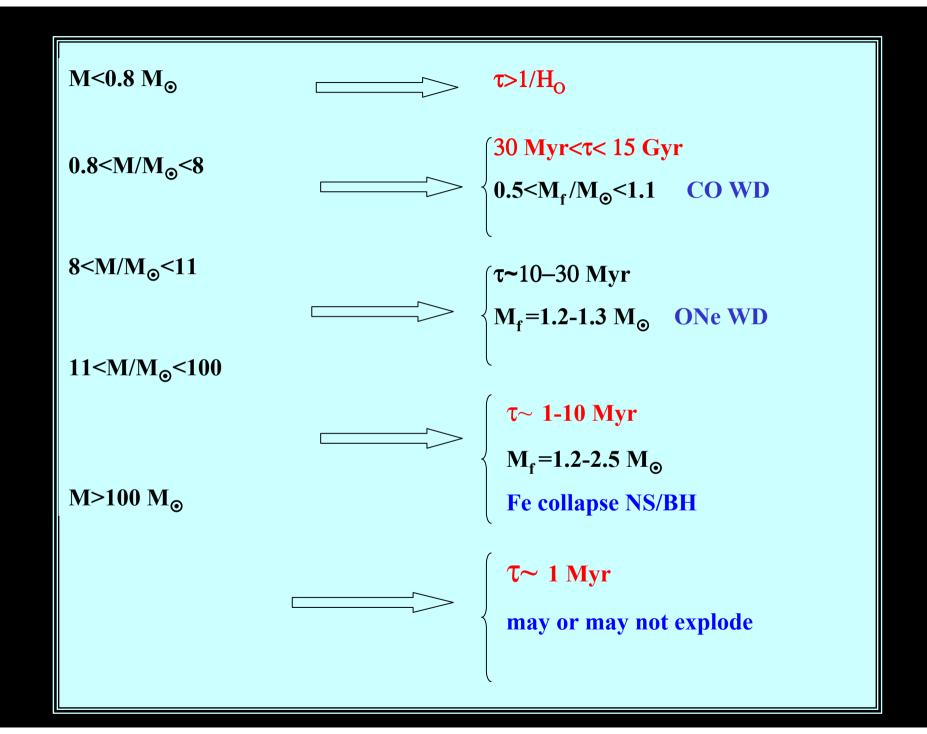
 $\Delta E_G \sim 10^{53} \text{ erg}$ $K \sim 10^{51} \text{ erg}$ $E_{em} \sim 10^{49} \text{ erg}$

Thermonuclear explosion

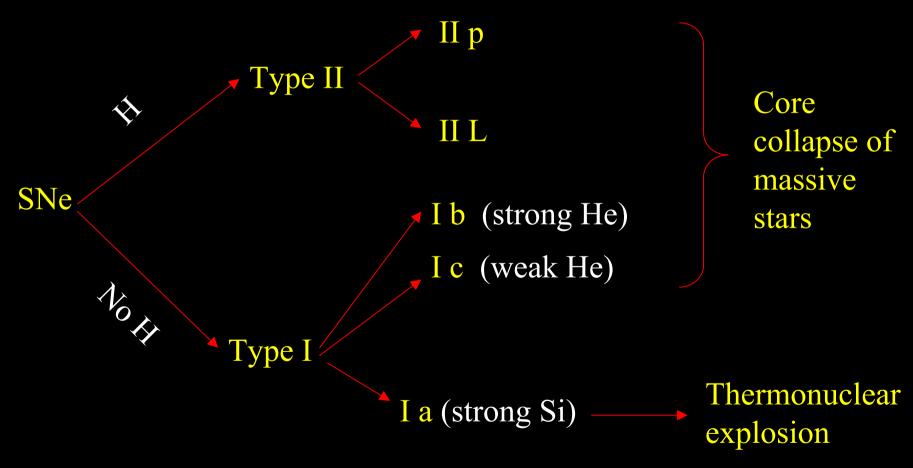


 $\{^{12}C,^{16}O\} \rightarrow \{^{56}Ni\}$ $q \sim 7x10^{17} \text{ erg/g}$ $1 \text{ Mo } x \text{ } q \sim 10^{51} \text{ erg}$ $K \sim 10^{51} \text{ erg}$ $E_{em} \sim 10^{49} \text{ erg}$ $L_{max} \sim 10^{43} \text{ erg/s}$





SNe Classification



based on spectra and light curve morphology

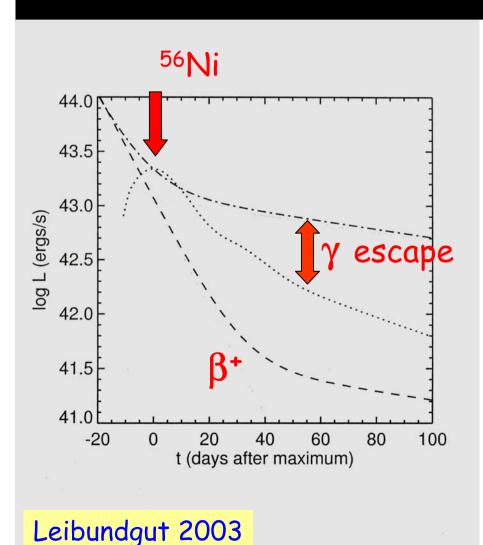
SNe Statistics

SN rate per unit Mass $(10^{-11} M_o 10^{-2} \text{ yr } (H_o/75)^2$

Galaxy	Ia	Ib/c	II	All
E-S0	0.16±0.03	< 0.01	< 0.01	0.16±0.03
S0a-Sb	0.29±0.07	0.16±0.07	0.69±0.17	1.14±0.20
S0c-Sd	0.46±0.10	0.30±0.11	1.89±0.34	2.65±0.37
A11	0.27±0.03	0.11±0.03	0.53±0.07	0.91±0.08

Cappellaro, Barbon, Turatto 2003

II. Light Curves Bolometric LCs ↔ Radioactive energy



⁵⁶Ni → ⁵⁶Co → ⁵⁶ Fe $\tau_{1/2}$: 6.1 d 77.7 d (81%) β⁺ (19%) $\Delta M_{Ni} = 1 M_{\odot}$ 21 1.4M₀ 18 0.4 17 $0.4M_{\odot}$

Observational constraints. I

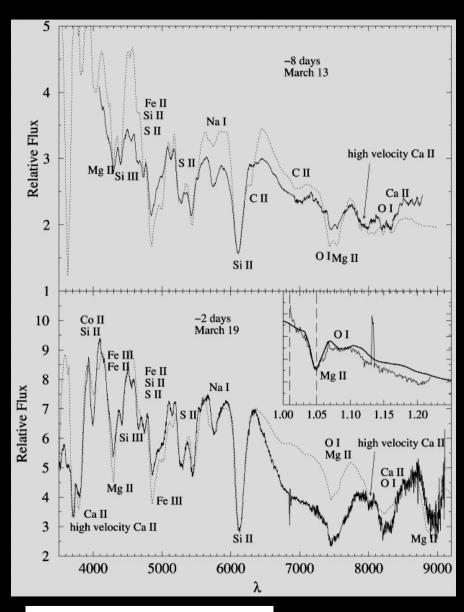
- H must be absent at the moment of the explosion
 - There are some evidences (weak) of H-lines before maximum or at late epochs
- Progenitors should be long lived to account for their presence in all galaxies, including ellipticals
- The explosion should produce at least $\sim 0.3~M_0$ of ^{56}Ni to account for the light curve and late time spectra



SNIa are caused by the explosion of a C/O white dwarf in a binary system

(He white dwarfs detonate and are converted in Fe and ONe collapse to a neutron star)

Spectra: abundances & velocities



Peak: absorptionCII OI SiIISI CaII MgII

Incomplete burning

10000 → 15000 km/s

Near-IR: SiII CaII MgII Fe peak

"small" polarization

Hatano et al. 1999

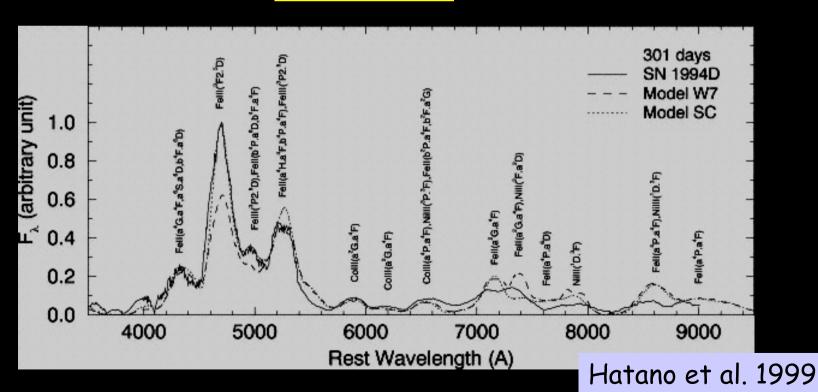
Nebular spectra

·Late time: emission

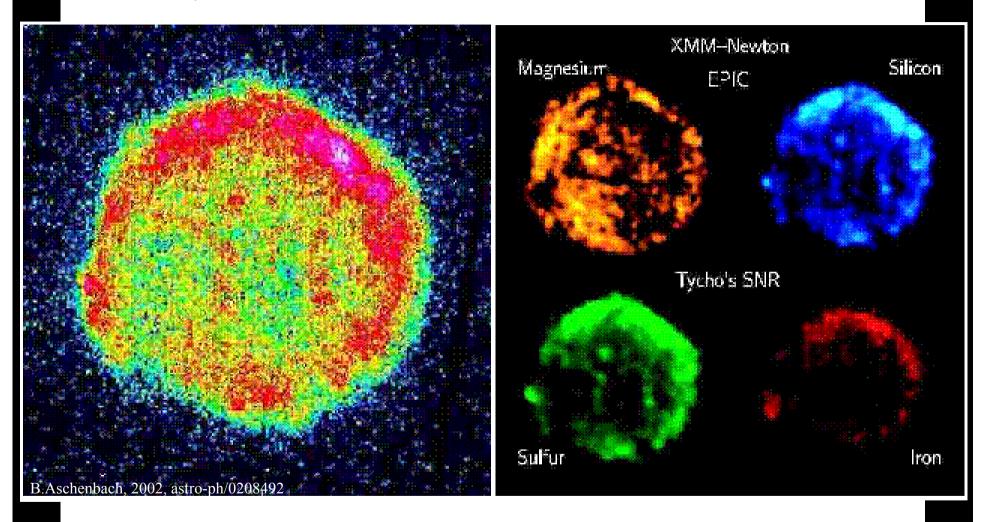
Fe Co

Complete burning

< 10000 km/s

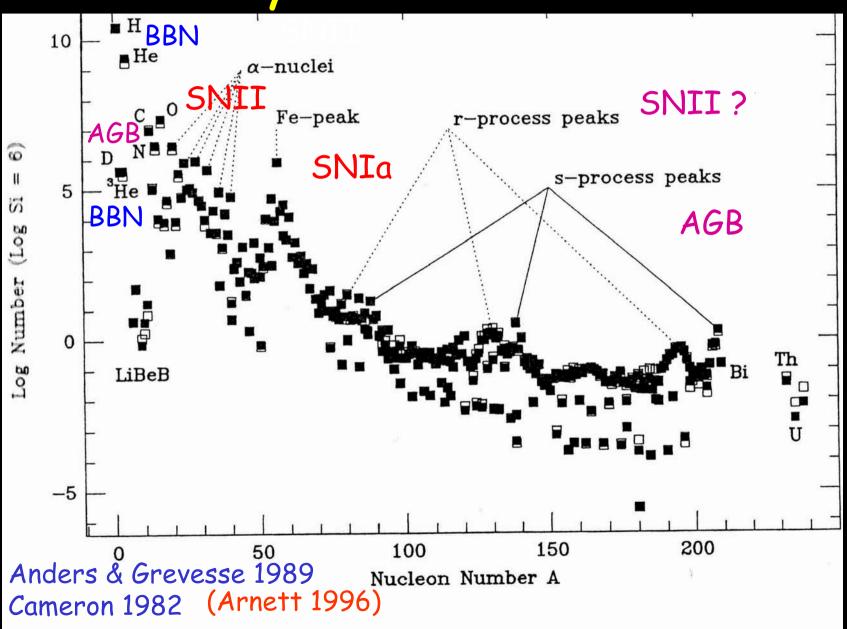


Tycho Remnant (SN 1572)



XMM-Newton

Solar system abundances



Observational constraints. II

• Intermediate elements must be present in the outer layers to account for the spectrum at maximum light



The burning must be subsonic. It can be supersonic only if $\rho < 10^7$ g/cm³

The abundances of the iron peak elements (⁵⁴Fe, ⁵⁸Ni, ⁵⁴Cr) must be compatible with the Solar System abundances after mixing with gravitational supernova products



Neutron excesses have to be avoided:

- Post-burning e⁻ -captures
- Neutrons stored as ²²Ne
- •Decrease ignition density •Decrease ²²Ne content
- •Reduce the SNIa galactic contribution

Thermonuclear runaways

The necessary condition is that the energy must be released in a time shorter than the dynamical time

Nuclear heating time:

$$au_n = \frac{c_{\scriptscriptstyle V} T}{\dot{oldsymbol{arepsilon}}_n}$$

$$c_V = \frac{3}{2} \frac{\Re}{\mu}$$

$$\dot{\mathcal{E}}_{n} \propto T^{\alpha} e^{-(T_{0}/T)^{\rho}}$$

Deflagration temperature

$$\tau_n(T_D) = \tau_{HD}(T_D)$$

The hydrodynamical time:

$$au_{HD} = \frac{l}{c_s}$$

In hydrostatic equilibrium

$$au_{HD} = au_{ff}$$

$$au_{ff} = \left(24\pi G \overline{\rho}\right)^{-1/2} = \frac{444}{\sqrt{\overline{\rho}}}$$

The instability condition is: $\tau_n < \tau_{HD}$

$$\frac{3(24\pi G)^{\frac{1}{2}}\Re}{3\mu Q_0 R_0} \rho^{\frac{1}{2}} T^{1-\alpha} e^{(T_0/T)^{\beta}} \le 1$$

Why typical stars are stable?: They stabilize the fuel by means of adiabatic expansions

The efficiency of the adiabatic cooling is defined as the expansion, $\delta \rho$, experienced to restore pressure equilibrium

$$\frac{\delta \rho}{\rho_0} = \frac{1}{\Gamma_1 \rho_0} \left(\frac{\partial P}{\partial T} \right)_{\rho} \frac{Q N_A}{A C_V} \Delta X$$

Where ΔX is the amount of burned fuel

If the electronic degenerate component is dominant:

In the gas ideal case:

$$\frac{\delta \rho}{\rho_0} = \frac{2}{5} \Delta X \frac{\mu}{A} \frac{Q}{kT}$$

Since $Q \sim 1$ MeV and $kT \sim 1-100$ keV adiabatic cooling is very efficient and stars are stable

$$\left(\frac{\partial P_e}{\partial T}\right)_{\rho} << \left(\frac{\partial P_i}{\partial T}\right)_{\rho}$$

$$\frac{\delta \rho}{\rho_0} = \left(\frac{\Delta X}{2} \frac{\mu}{A} \frac{Q}{kT}\right) \frac{P_i}{P_i + P_e} \square \frac{P_i}{P_e} << 1$$

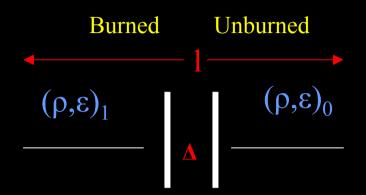
Cooling is only efficient if $P_i > P_e$

Thermonuclear runaways occur if: $T_{def} < T_F$

H is not a good explosive because it needs weak interactions to convert p in n (novae) He and C are good explosives (supernovae)

$\Delta \ll 1$

The burning front



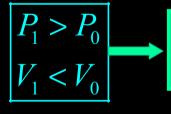
Mass, momentum and energy conservation

$$\rho_{1}u_{1} = \rho_{0}u_{0}$$

$$P_{1} + \rho_{1}u_{1}^{2} = P_{0} + \rho_{0}u_{0}^{2}$$

$$\varepsilon_{1} + \frac{P_{1}}{\rho_{1}} + \frac{u_{1}^{2}}{2} = \varepsilon_{0} + \frac{P_{0}}{\rho_{0}} + \frac{u_{0}^{2}}{2}$$

Two types of solutions



<u>Detonation</u>: v_{front} supersonic versus the unburned material sonic or subsonic versus the burned material

$$\begin{array}{|c|c|}\hline P_1 < P_0 \\ \hline V_1 > V_0 \end{array}$$

<u>Deflagration</u>: v_{front} always subsonic versus the unburned & burned material

Deflagrations

In spherical symmetry burned material is at rest at the center, $v_1 = 0$

Assume unburned material at rest, $v_0 = 0$ Mass and momentum conservation demands:

$$V_0(P_1 - P_0) = u_0(u_0 - u_1)$$

or

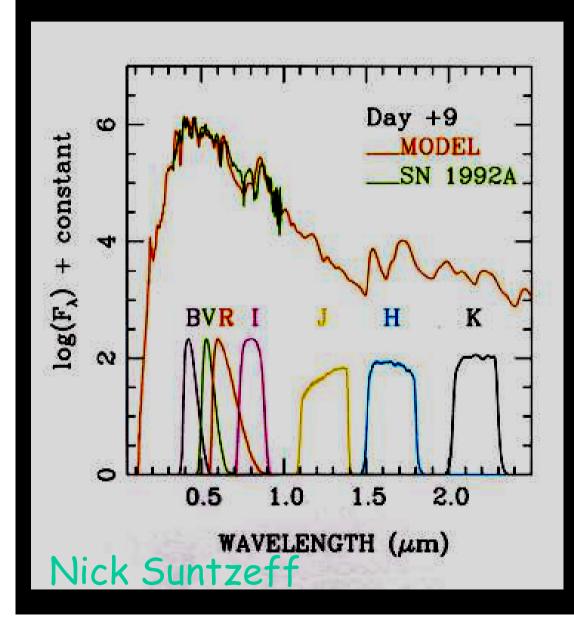
$$V_0(P_1 - P_0) = u_1 D$$

in the frame at rest

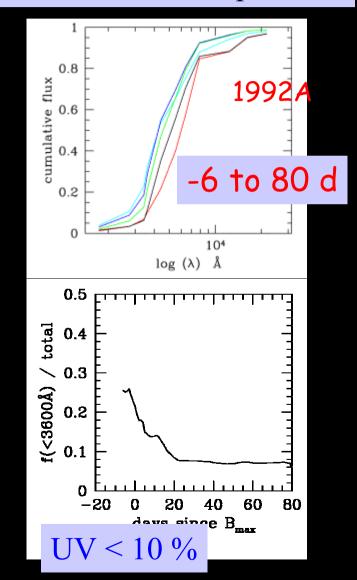
But if
$$P_1 - P_0 < 0 \& D > 0$$
 then $v_1 < 0$ in contradiction with the hypothesis

A deflagration can only exist if it generates a precursor shock that burst matter outwards!

Flux & Filters



>80% flux in the optical



I. Observations

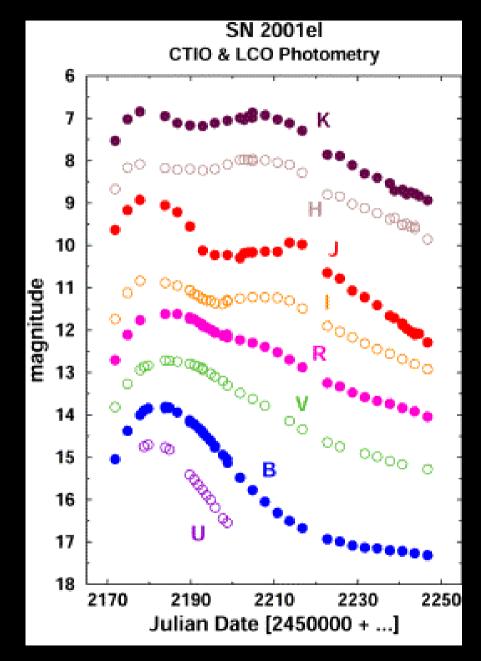
UBVRIJHK



Most of the emission in the Optical and NIR

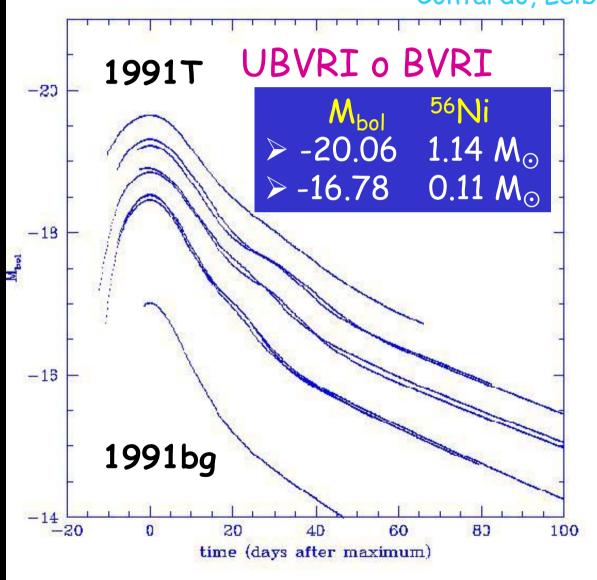
2nd peak IJHK

Elias 1981 Meikle 2000



Ni mass from observed M_{MAX}

Contardo, Leibundgut, Vacca, 2001



Time of maximum assumed:

 $\Delta t_{\text{expl}} = 17 \text{ d}$

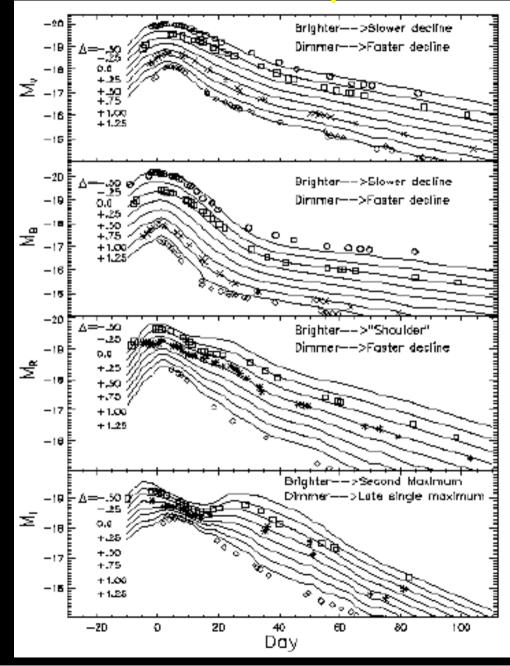
16 to 20 d → 10% Ni

- + Problems:
 - Distance
 - Reddening

Other methods:

- LCs up to 800 d Cappellaro et al 1997
- Late IR spectra (Fe)
 Spyromilo et al 1992

MAX-LC Shape Relations



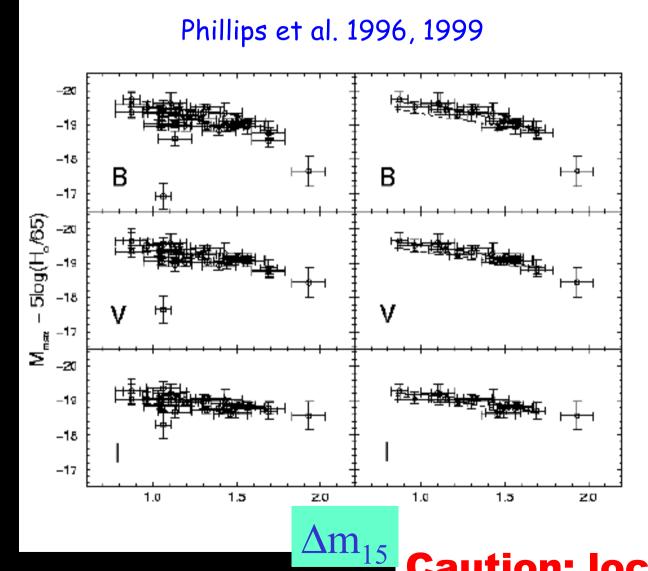
Correlation
M_{MAX} ↔ Decline rate

Brighter Slower Decline

Dimmer Faster Decline

Riess et al., 1997

Maximum Brightness - Decline Relation



 M_{max} - Δm_{15}

 $\langle \sigma \rangle = 0.17 \text{ mag}$

Caution: local calibrations

Cosmology & SN Ia

- > Bright
- > Homogeneous
- > No evolutionary effects

Standard

Candles

Standard Model of Cosmology

(SNe Ia + CMB)

 $\Omega_{\rm m} \sim 0.3$ $\Omega_{\lambda} \sim 0.7$

 $60 \text{ km/s/Mpc} < H_o < 70 \text{ km/s/Mpc}$

Age of the Universe ~ 14000 Myr

Observational constraints. III

- Homogeneity?
 - Differences in brightness: Overluminous (SN 1991T), underluminous (SN1991bg)
 - Differences in the expansion velocity ($v_{exp} \sim 10,000-15,000 \text{ km/s}$)
- Two points of view:
 - There is a bulk of homogeneous supernovae plus some peculiars
 - SNIa display a continuous range of values
- Is there a unique scenario & unique mechanism able to accommodate the normal behavior plus that of dissidents?
- Is there a mechanism able to produce a continuous range of situations?
- Can both mechanisms coexist?

Anything able to explode eventually do it !!!

The outcome depends on:

Accretion rate

Chemical composition of accreted matter

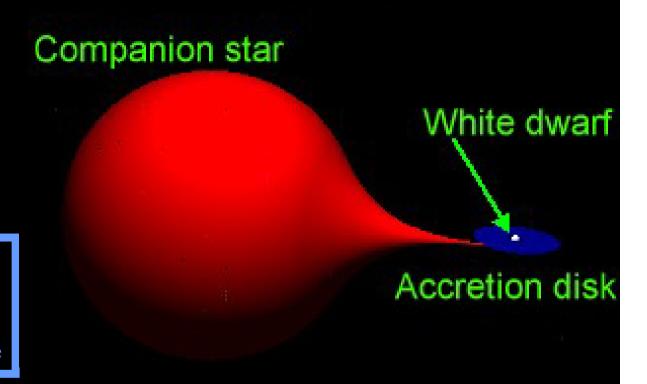
CO accreting WD

Merging of two CO WD.

The outcome depends on the rate. AIC?

He accreting WD

 $10^{-9} < M_t < 5x10^{-8} M_o yr^{-1}$ off center detonation CO+He star, normal or degenerte



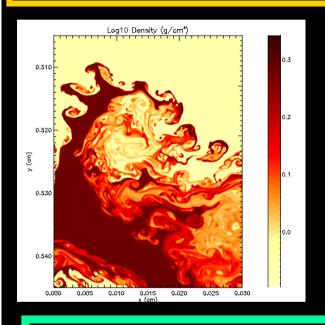
H accreting WD

 $M_t \le 10^{-9} \,\mathrm{Mo} \,\mathrm{yr}^{-1} \,\mathrm{Nova}$

 $10^{-9} < M_t < 10^{-6} M_o yr^{-1}$ Steady burning or weak flashes. He detonation in some cases $10^{-6} < M_t < M_t$ (Eddington) Red giant and common envelope

Exploding mechanisms

Detonation: supersonic flame If $\rho > 10^7$ g/cc \Rightarrow C,O \rightarrow Ni If $\rho \le 10^7$ g/cc \Rightarrow C,O \rightarrow Si,Ca, S, ...



The laminar flame becomes turbulent:

- * Rayleigh-Taylor instability
- * Kelvin- Helmholtz

Other possibilities:

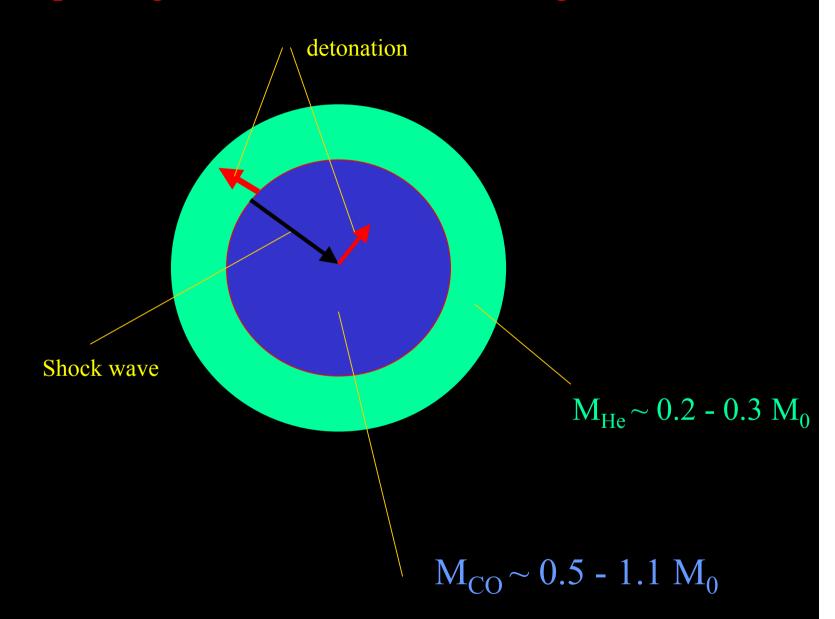
Deflagration + detonation

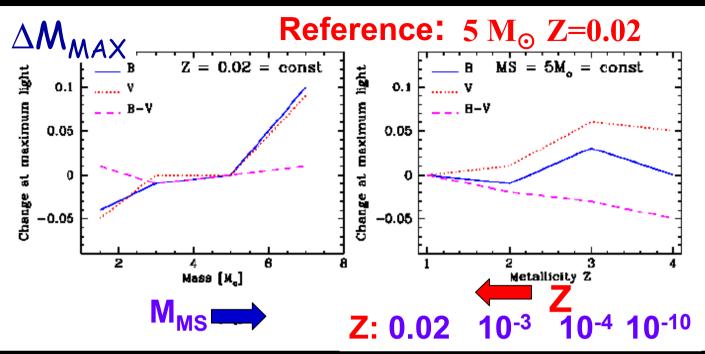
Pulsating delayed detonation

Deflagration: subsonic velocity laminar flame: $v \sim 0.01 c_s$ Turbulent flame: $v \sim 0.1 - 0.3 c_s$

Flame surface increases effective velocity increases

Exploding mechanisms: Off center ignition





Back in time Z ↓ t_{evol} ↓ M_{MS} ↑

M_{MS}
$$+$$
 C/O \leq 22% $+$ Z $+$ C/O \leq 9 %

L $+$ \leq 0.15 mag

V_{ph} $+$ 2000 km/s

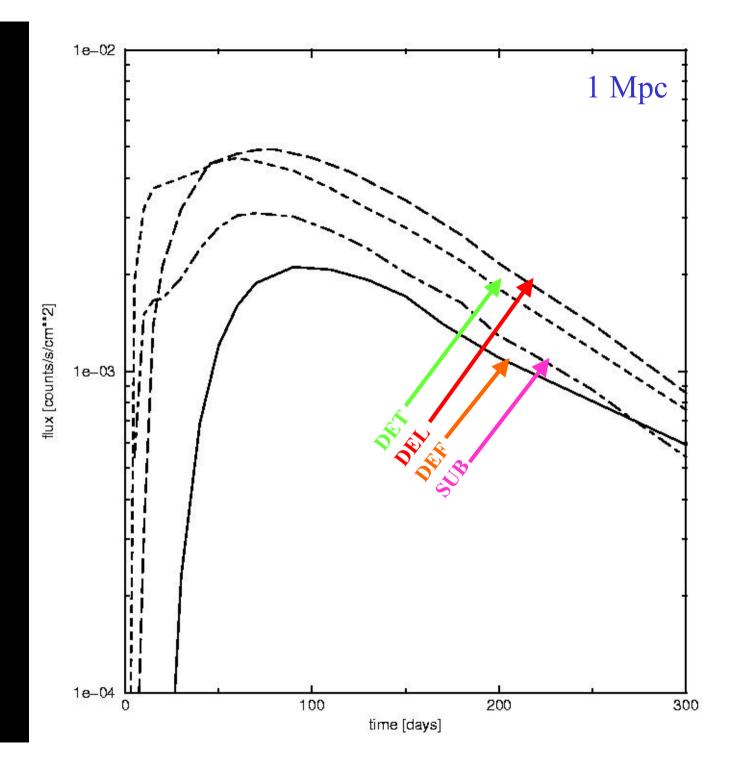
t_{Rise} $+$ 1.7 days

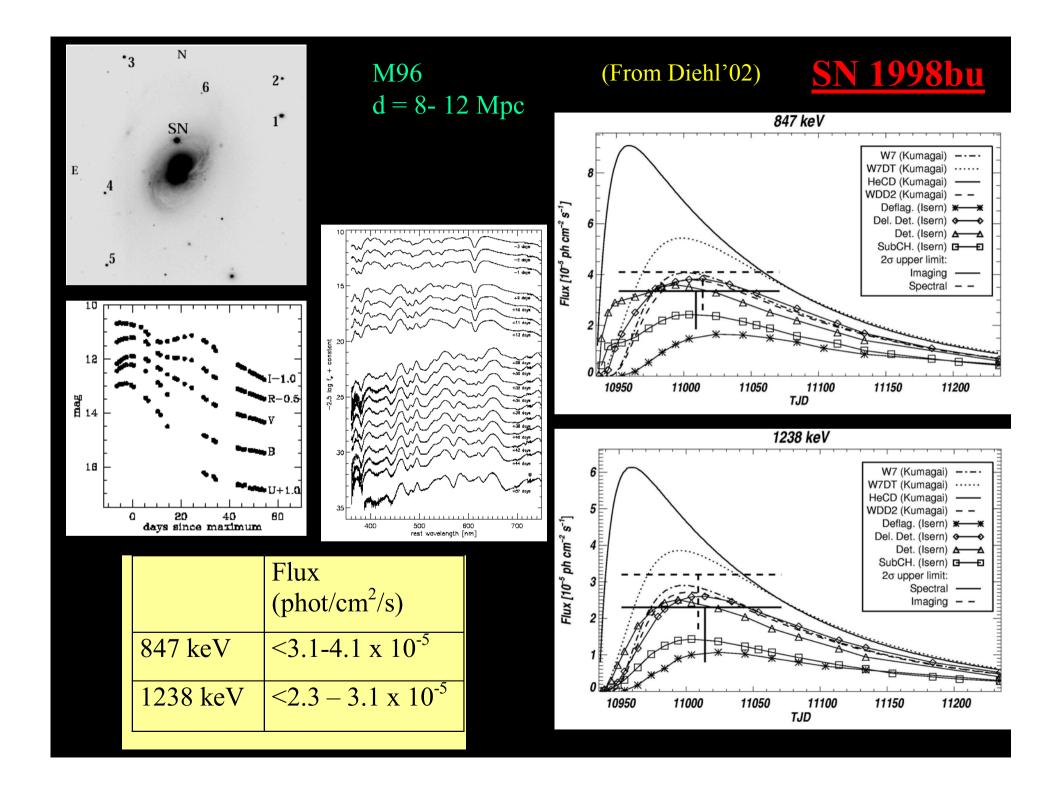
Dark Energy ?? \sim 0.1 - 0.05 mag

Light curves

847 keV

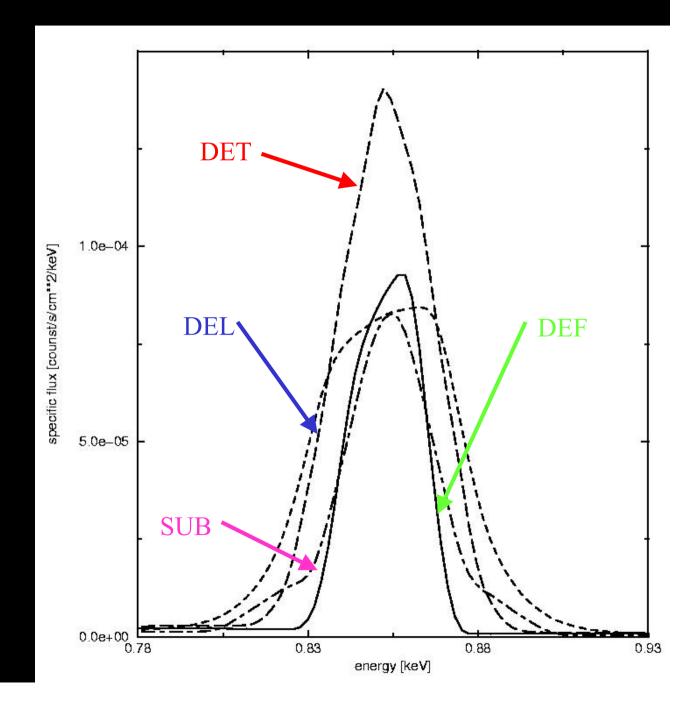
⁵⁶Co



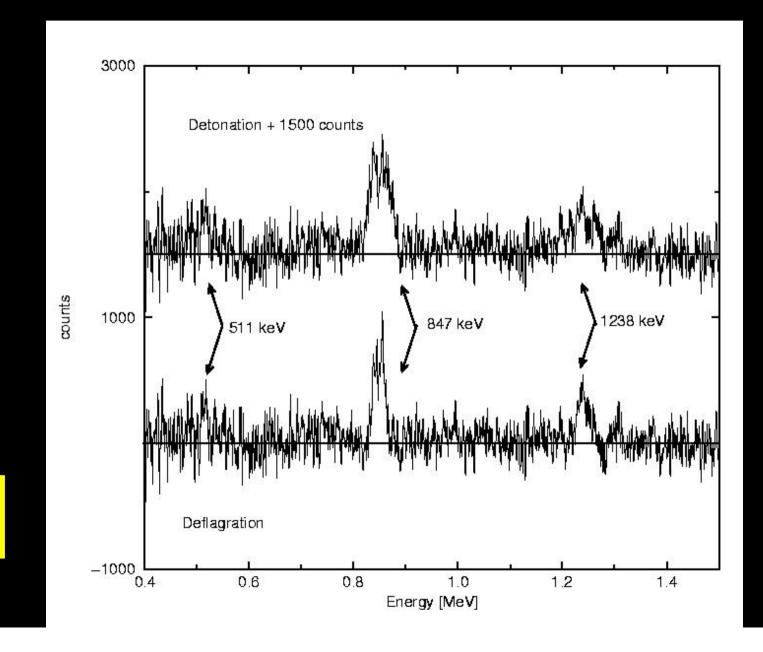


Line profiles for the 847 keV line

D = 1 Mpct = 120 d



Simulated observational spectra



D = 5 Mpc $t_{\text{int}} = 10^6 \text{ s}$

SPI/INTEGRAL

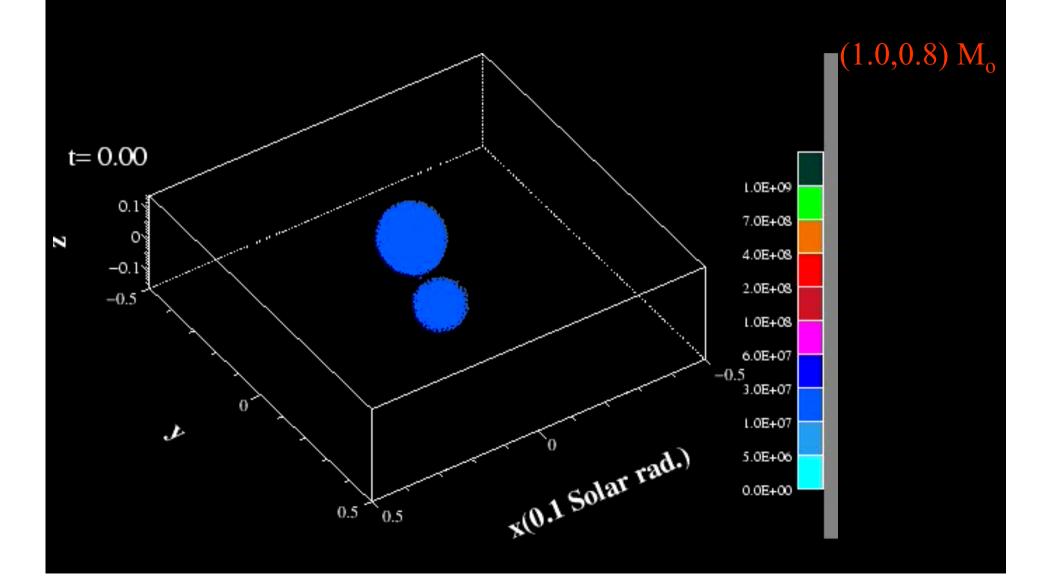
- •INTEGRAL can provide useful information for
- SNIa, provided they occur close enough, on the
- basis of:
 - -Line light curves
 - -Properties of the continuum
 - -Line profiles
- •Because of the poor understanding of the flame
- properties we have to use parametrized values.
- •In this case there are ambiguities in the
- •information provided by the gamma-rays alone.
- •Independent information is necessary



Departures from spherical symmetry?

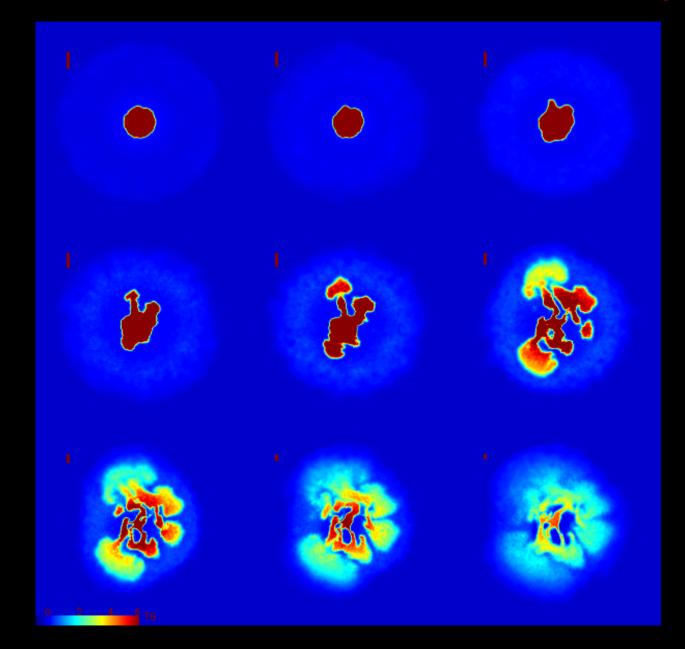
- The physics of the flames indicates they are unstable and departures from spherical symmetry easily appear
- The scenarios in which the explosion occurs are not symmetric
- Nevertheless, observations suggest that these departures are small:
 - The homogeneity of the light curve s & spectra indicates photospheric perturbations < 10%
 - Standard SNIa show small polarizations (Wang et al 2001)
 - But subluminous display polarizations $\sim 0.7\%$ (Howell et al 2001)

- Since SNIa occur in binary systems, large scale departures from sphericity can occur
- Double degenerate systems

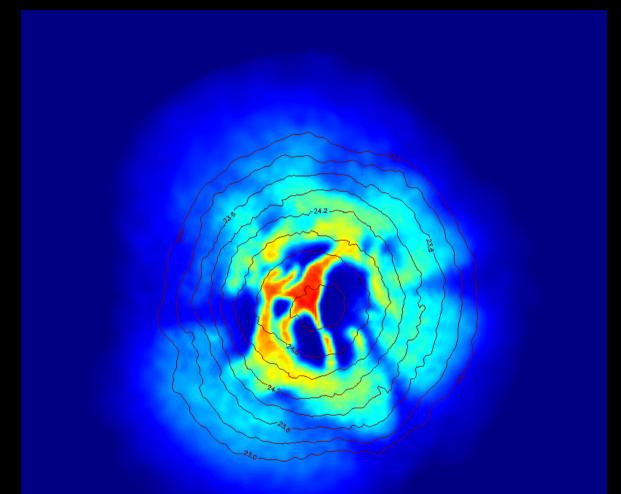


Central deflagration: T; time = 0 - 1.55 s; (Bravo, Garcia-Senz, Serichol)

= 400 km



T & P at the end of the deflagration phase (t=1.55 s)



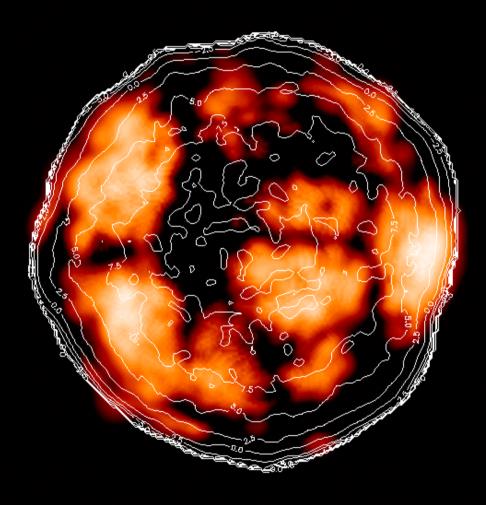
The front structure is not homogeneous but the envelope evolves spherically.

Large pockets of unburned matter are left that introduce irregularities in the line profiles

If the deflagration turns out into a detonation these pockets disappear

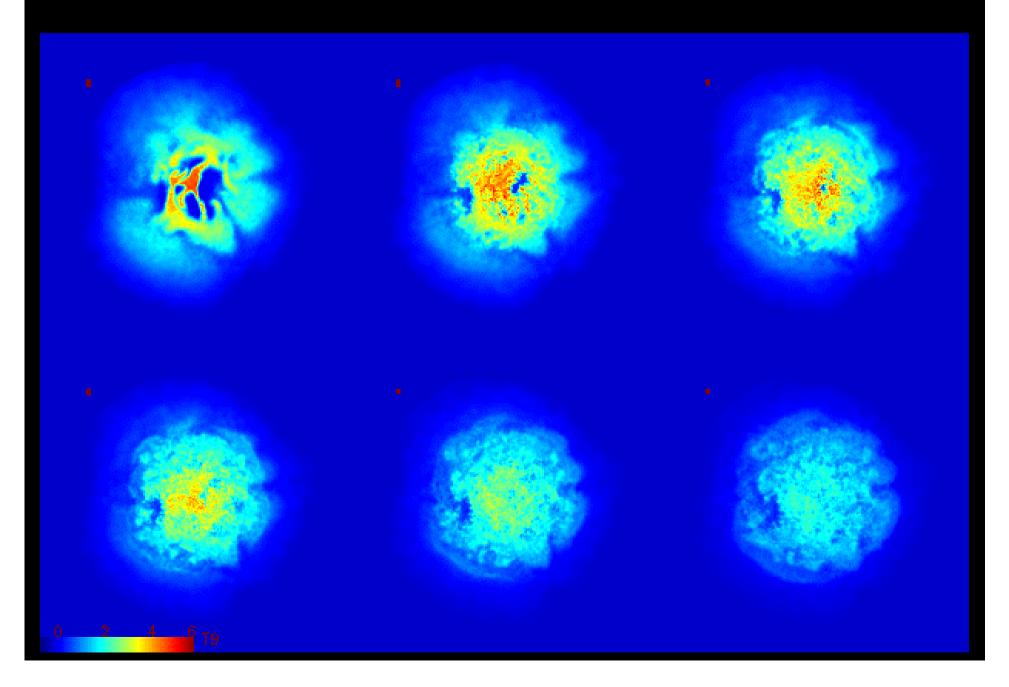
•The problem of the 56Ni clumps (García-Senz & Bravo 2004):

B30U @ 15 days



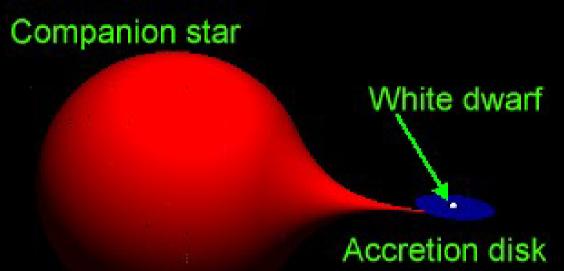
_____log 56Ni column-density (-1.5:+0.5 g cm**-2)

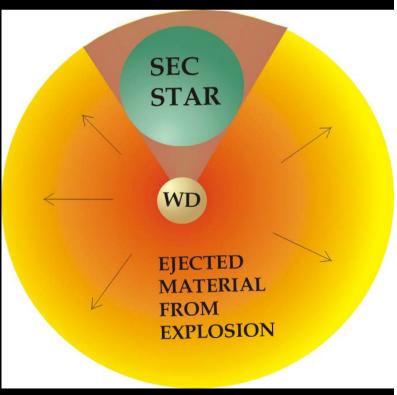
The detonation starts: t = 1.55 - 2.06 s

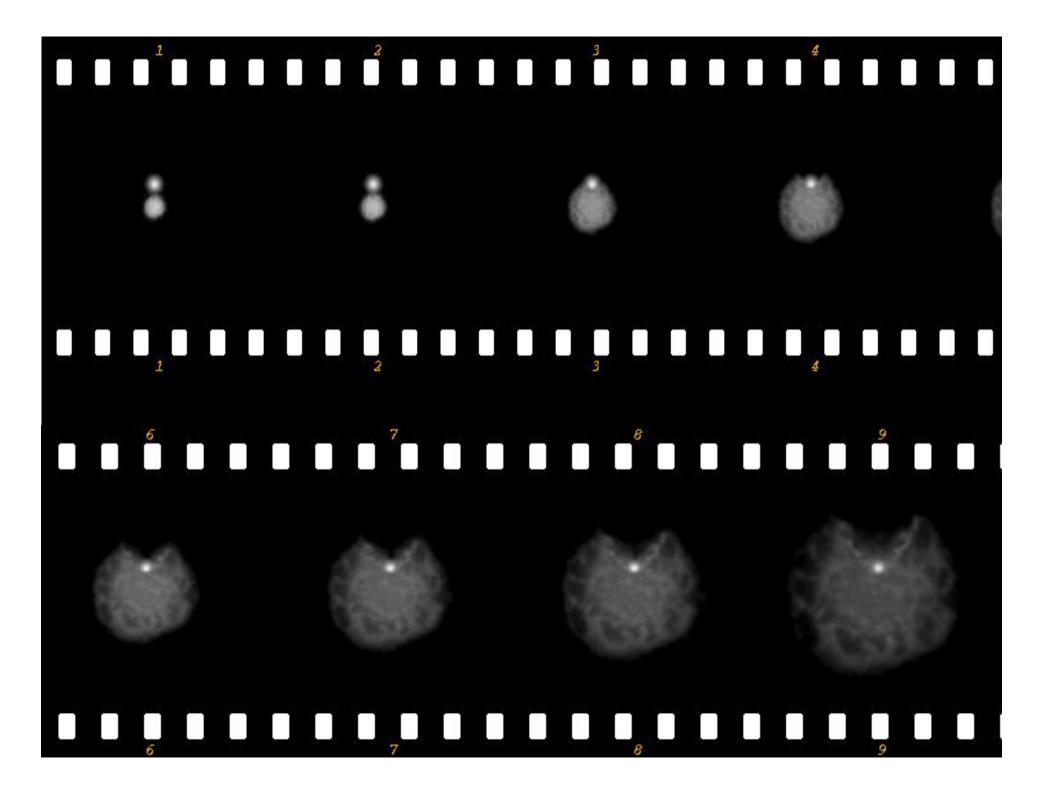


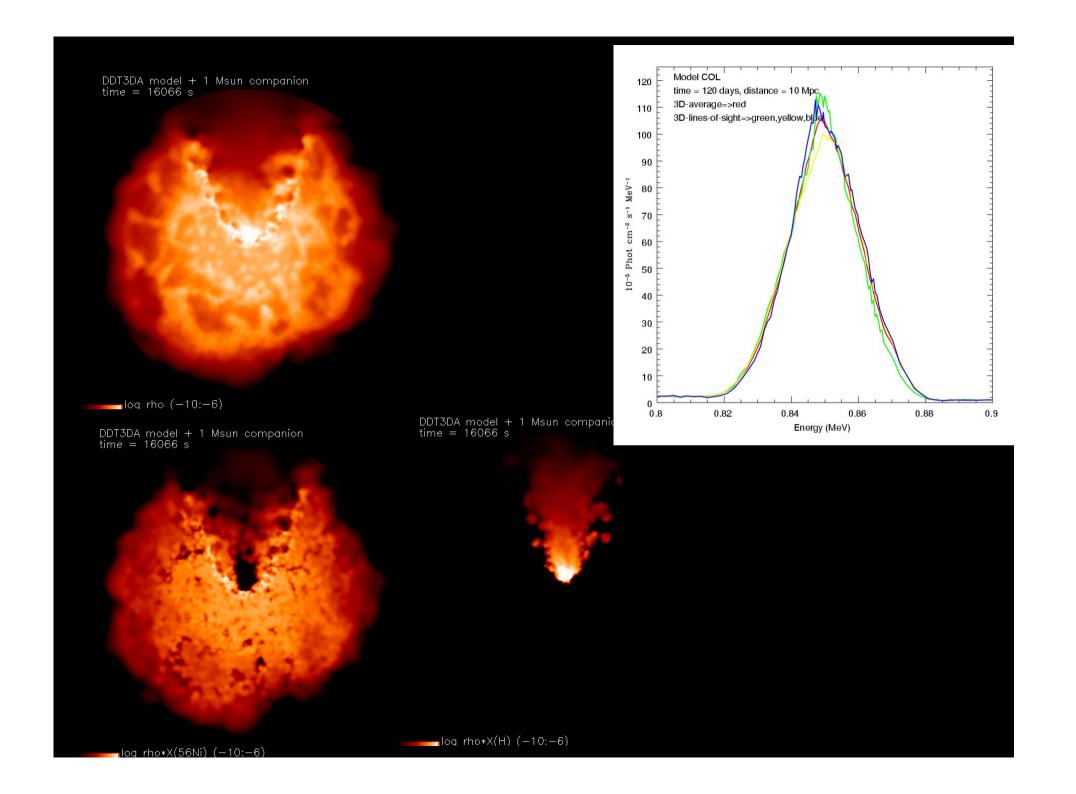
Off center detonations (E. Bravo et al IEEC/UPC) (temperature)

Single degenerate scenario

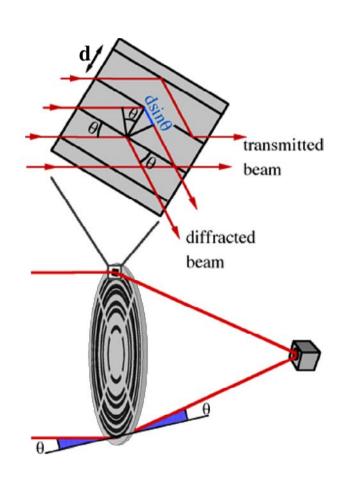








Focusing Gamma-Rays - how?



 $\lambda(511 \text{ keV}) = 2.42632 \cdot 10^{-2} \text{ Å}$

Bragg condition

 $2d\sin\theta = n\lambda$

d[220] = 2.0004Å $arcsin(\lambda/2d) = 0.347^{\circ}$

Laue-type Gamma-ray lens

 2θ = 0.695° ex. radius [220] = 10.1 cm => focal lenght = 8.2 m

narrow band Laue lens: higher orders at larger radia (CLAIRE) broad band Laue lens: most efficient order at all radia (MAX)







tuning and test line at CESR Toulouse

